

()

"

"

()

-
-
-

(deterministic)

(stochastic)

-
-

Fair Value

-
-
-
-

>
=

>

•
○
○
○



$$V_0 = \sum_{t=1}^{\infty} \frac{D_t}{(1+k)^t}$$

$$V_0 =$$

$$D_t =$$

$$k =$$



$$V_0 = \frac{D}{k}$$

·
:

:

$$V_0 = \frac{D}{k}$$

$$E_1 = D_1 =$$

$$k = /$$

.

/

V_0

$$V_0 = \frac{D_0(1+g)}{k-g}$$

$$g =$$

:

$$V_0 = \frac{D_0(1+g)}{k-g}$$

1 $b = \% \quad b = \quad = \% \quad E_1 =$

$g = \% \quad D_1 = \quad k = \%$

$$V_0 = \frac{3000}{(\%15 - \%8)} = 42860$$

$g = \text{ROE} \times b$

$g =$

$\text{ROE} =$

$b = \text{EPS} \quad (- \quad)$

$$V_0 = \frac{E_1}{k} + PVGO$$

$$PVGO = \frac{D_0(1+g)}{(k-g)} - \frac{E_1}{k}$$

$$PVGO =$$

$$E_1 =$$

$$ROE = \%$$

$$b = \%$$

$$E_1 =$$

$$D_1 =$$

$$k = \%$$

$$g = \% \times \% = 0/08 \%$$

⋮

$$V_0 = \frac{3000}{(0/15 - 0/08)} = 42,860$$

$$NGV_0 = \frac{5000}{0/15} = 33,330$$

$$PVGO = \quad - \quad =$$

$$V_0 =$$

$$NGV_0 =$$

$$PVGO =$$

$$V_0 = \frac{(1-b)E_1}{(1+k)^1} + \frac{(1-b)E_2}{(1+k)^2} + \frac{(1-b)E_N + P_N}{(1+k)^N}$$

$$P_N = N$$

$$N =$$

[1-b]

k P_N

•

•

•

P/E

$$\frac{P_0}{E} = \frac{d}{k-g}$$

d →

k → ()

g → EPS

P/E

$$k = 12/5$$

$$g = 9$$

$$d = 40$$

$$P/E = [1 - 0/60] / [0/125 - 0/09] = /$$

E=

$$P = 11/4 \times =$$

P/E

E

E=

E=

∞

∞ =

∞ =

∞ =